

Thesis Defense

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Sample Size Estimation in Cluster Randomized Design: PAWS-CRD

Outline

- Introduction
- Problems
- The proposed solution
- Examples
- Accuracy

Introduction

- Cluster Randomized Design (CRD)
- Two types of sample sizes
 - Number of clusters
 - Cluster size
- Relationship with power
- Relationship with width of confidence interval (CI) of effect size (ES)

Problems

- Different combinations of sample sizes provide the same power or width of CI of ES.
 - Need the least expensive combination
- Different combinations provide the same budget
 - Need the combination with maximum power or minimum width of CI of ES

Problems

- Some programs can estimate power in CRD
 - e.g., PINT or Optimal Design.
- No program accounts for width of CI of ES
- No program provides the algorithm to find optimal combination.

The Proposed Solution

- This thesis developed the new program: PAWS-CRD
 - Power And Width of CI of ES for Sample size estimation for Cluster Randomized Design
 - Estimation based on
 - Normal approximation (Starting Value)
 - A priori Monte Carlo simulation

The Proposed Solution

- Additional features
 - Allows unequal clusters between treatment and control conditions
 - Allows for different costs

	Treatment	Control
Cluster Cost		
Individual Cost		

The Proposed Solution

- Additional features
 - Can control error variances by a covariate
 - Use ES standardized by individual-level standard deviation
 - Provide both post hoc and a priori analyses

Examples

1. What happens when a covariate is added?
(Post Hoc)
2. How many classrooms are required to detect a small effect? (A priori)
3. What is the best sample size combination, given a limited budget? (A priori)

Example 1

- Effectiveness of training to administer cognitive behavioral therapy (King et al., 2002)
- 84 therapists assigned to two conditions
- 4 patients each
- DV = Beck Depression Inventory (BDI) Score
- ES with individual-level SD = 0.09
- Intraclass correlation = 0.013

Example 1

- Result = *ns*
- Post Hoc power = 0.124
- If the researchers collected BDI scores of therapists,
 - Cluster-level variable
 - Cluster-level Error Variance Explained = 10%
- Can the covariate help to achieve high power?

Example 2

- A new teaching method
- DV = Academic Achievement
- Intraclass correlation = 0.25
- Classroom size = 25
- Power = 0.8
- Meaningful ES = 0.2

Example 2

- Cost

	Treatment	Control
Cluster Cost	600	300
Individual Cost	2	2

- How many classrooms should be used?

Example 3

- Parent-teacher relationship encouragement program
- DV = Conduct Problems (BASC-II)
- Multi-site study (Level 2 = Schools)
- Intraclass correlation = 0.05
- Meaningful ES = 0.2

Example 3

- Use perceived positive school climate as a covariate
 - Intraclass correlation = 0.05
 - Amount of error variance explained in both levels = 18.49%

Example 3

- Cost

	Treatment	Control
Cluster Cost	500	50
Individual Cost	30	2

- Budget = \$50,000
- Which is sample size combination providing the highest power?

Accuracy

- Using PINT
- Compare the programs' results of 300 situations

Accuracy

- Testing 300 situations based on
 1. Method to find sample size
 - Achieve power of .80
 - Achieve width of 0.2
 - Achieve width of 0.5
 - Maximum power given \$500 budget
 - Maximum power given \$1000 budget

Accuracy

- Testing 300 situations based on
 - 2. Intraclass correlation of dependent variable
 - 0.05
 - 0.25
 - 3. ES of treatment variable
 - 0.2
 - 0.5

Accuracy

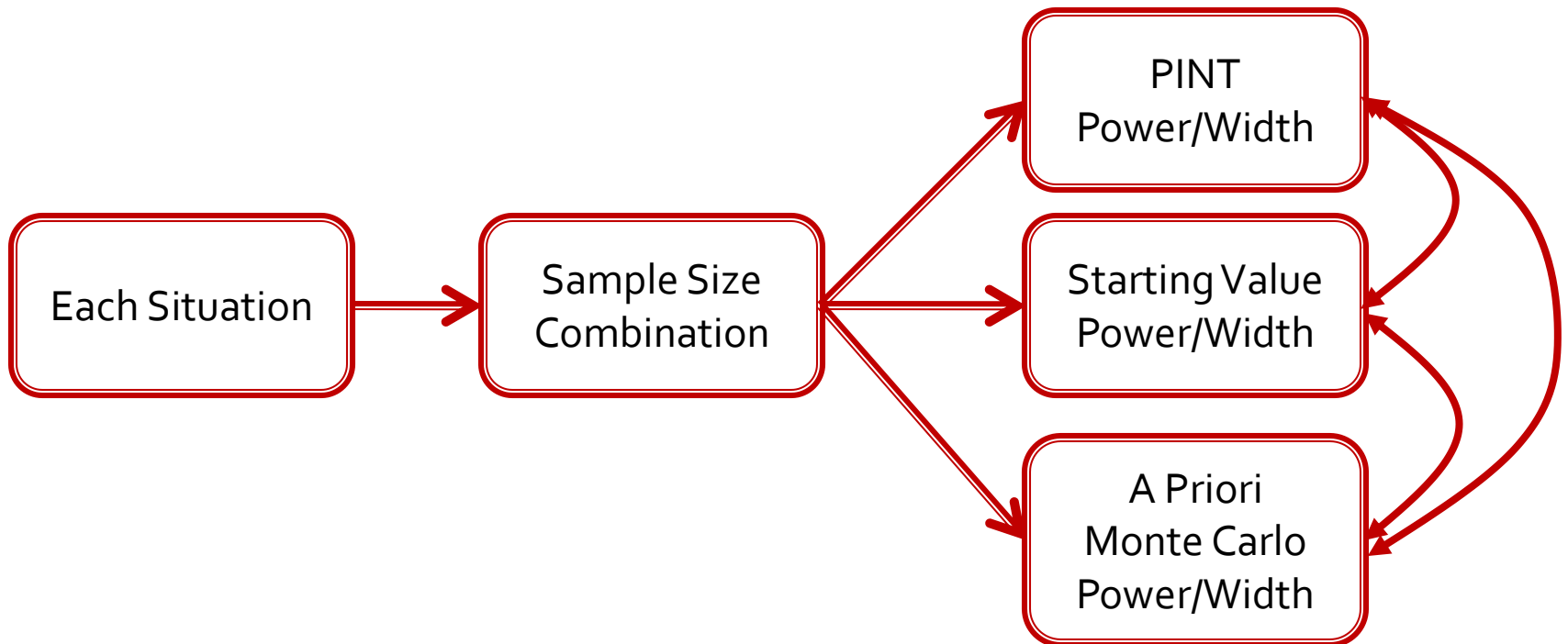
- Testing 300 situations based on
 - 4. Cluster costs if individual cost is \$1
 - None
 - \$5
 - \$10

Accuracy

- Testing 300 situations based on
 - 5. Covariate characteristics
 - No covariate
 - Individual-level covariate
 - Covariate with intraclass correlation of 0.05
 - Covariate with intraclass correlation of 0.25
 - Cluster-level covariate

Accuracy

- $5 \times 2 \times 2 \times 3 \times 5 = 300$ situations
- Testing backward



Accuracy

- The starting values replicate the PINT.
- Difference between the starting values and the a priori Monte Carlo simulation
 - Power are similar across two approaches (Difference < 0.08)

Accuracy

Type of Covariate	Difference in Power			
	<i>M</i>	<i>SD</i>	Min	Max
No Covariate	-0.005	0.015	-0.073	0.014
Individual-level Covariate	-0.009	0.015	-0.044	0.012
Covariate with ICC of 0.05	-0.004	0.014	-0.044	0.035
Covariate with ICC of 0.25	-0.008	0.015	-0.049	0.021
Group-level Covariate	-0.009	0.014	-0.063	0.006
Total	-0.007	0.015	-0.073	0.035

Accuracy

- The starting values replicate the PINT.
- Difference between the starting values and the a priori Monte Carlo simulation
 - Power are similar across two approaches (Difference < 0.08)
 - Width of CI of ES are similar in most cases

Accuracy

Type of Covariate	Difference in 95% CI of ES			
	<i>M</i>	<i>SD</i>	Min	Max
No Covariate	0.001	0.007	-0.009	0.028
Individual-level Covariate	-0.004	0.006	-0.024	0.023
Covariate with ICC of 0.05	-0.128	0.319	-2.069	0.003
Covariate with ICC of 0.25	-0.007	0.006	-0.026	0.008
Group-level Covariate	0.002	0.009	-0.027	0.044
Total	-0.027	0.150	-2.069	0.044

Accuracy

- The starting values are not accurate when
 - ICC of the covariate is 0.05
 - ICC of the dependent variable is 0.25
 - Total sample size result < 500

Conclusion

- PAWS is developed to address problems that other programs neglected.
- The starting values are accurate in most situations.

Q & A
